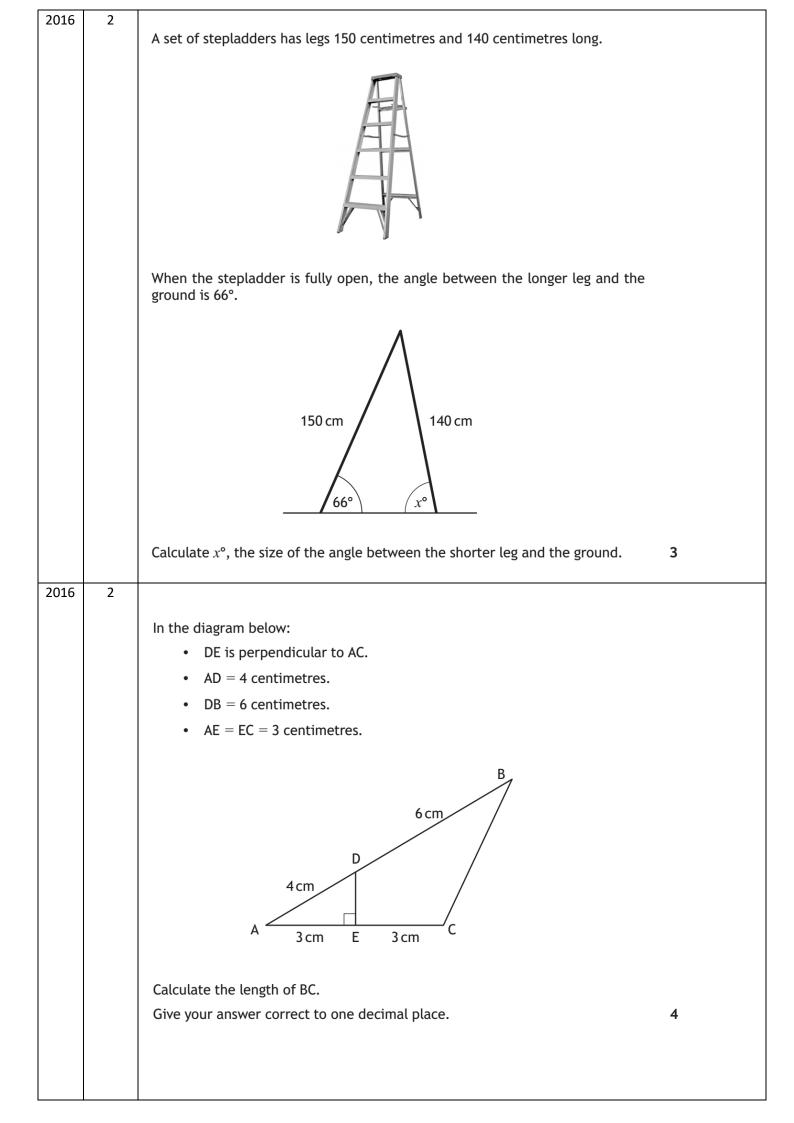
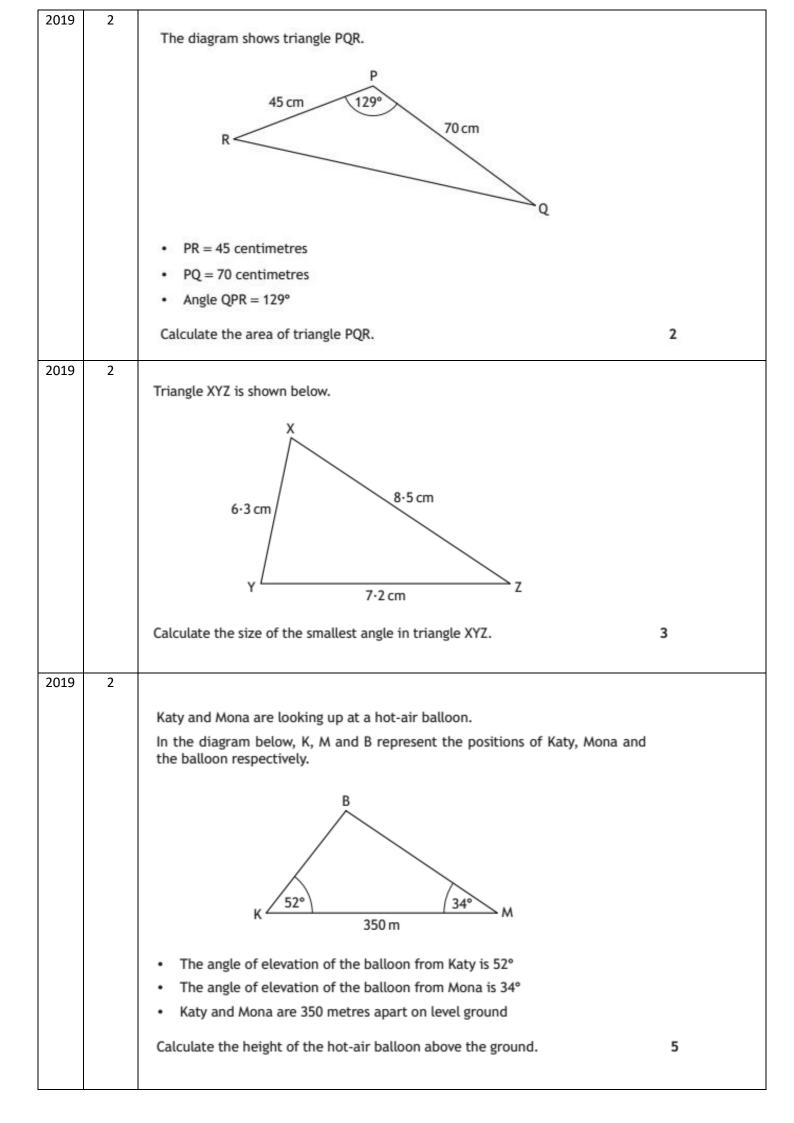
|      | S     | ine Rule, Cosine rule, Area of Triangles   |
|------|-------|--|
| YEAR | PAPER | QUESTION   |
| 2014 | 1     | In triangle KLM  • KM = 18 centimetres  • $\sin K = 0.4$ • $\sin L = 0.9$ Calculate the length of LM.  |
| 2014 | 2     | 10. In a race, boats sail round three buoys represented by A, B, and C in the diagram below.  North  8 km  11 km  13 km  C  B is 8 kilometres from A on a bearing of 060°.  C is 11 kilometres from B.  A is 13 kilometres from C.  (a) Calculate the size of angle ABC. |
| 2015 | 2     | (b) Hence find the size of the shaded angle.  Triangle ABC is shown below.  1.2 km  A  1.35 km  B  |
|      |       | Calculate the length of AB. 3  |

| 2015 | 2 | The top of a table is in the shape of a regular hexagon.  The three diagonals of the hexagon which are shown as dotted lines in the diagram below each have length 40 centimetres.   |   |
|------|---|--|---|
|      |   | Calculate the area of the top of the table.  | 4 |
| 2015 | 2 | In the diagram below P, Q and R represent the positions of Portlee, Queenstown and Rushton respectively.  N Q 25 km R Portlee is 25 kilometres due South of Queenstown. From Portlee, the bearing of Rushton is 072°. From Queenstown, the bearing of Rushton is 128°. Calculate the distance between Portlee and Rushton. Do not use a scale drawing. | 4 |



| 2017 | 1 | In triangle DEF:   |
|------|---|--|
|      |   | • DE = 8 centimetres   |
|      |   | • EF = 12 centimetres<br>• $\sin E = \frac{2}{3}$  |
|      |   | E 12 cm  |
|      |   | Calculate the area of triangle DEF.  |
| 2017 | 2 | A piece of land is in the shape of a triangle as shown.  |
|      |   | Q  |
|      |   | 250 m  |
|      |   | 147° R   |
|      |   | <ul> <li>PQ = 250 metres</li> <li>PR = 180 metres</li> </ul>   |
|      |   | • angle QPR = 147°   |
|      |   | The owner wishes to build a fence along the side QR.  Calculate the length of the fence.                   |
| 2017 | 2 |  |
| 2017 | 2 | In the diagram below D, E and F represent the positions of Dunbridge, Earlsford and Fairtown respectively. |
|      |   | N N  |
|      |   | D 126° 15 km E 230°  |
|      |   |  |
|      |   | F.   |
|      |   | Dunbridge is 15 kilometres west of Earlsford.  |
|      |   | From Dunbridge, the bearing of Fairtown is 126°.  From Earlsford the bearing of Fairtown is 230°.          |
|      |   | Calculate the distance between Dunbridge and Fairtown.  4  |
|      |   | Do not use a scale drawing.  |

| 2018 | 1 | In triangle XYZ:  • $XZ = 10$ centimetres  • $YZ = 8$ centimetres  • $\cos Z = \frac{1}{8}$ .  Calculate the length of XY.  |   |
|------|---|---|---|
| 2018 | 2 | In this diagram:  • angle ABD = 75°  • angle BDC = 37°  • BC = 20 centimetres.  | 3 |
| 2018 | 2 | In the diagram below AOD is a sector of a circle, with centre O, and BOC is a triangle.  O  75°  In sector AOD:  radius = 30 centimetres  angle AOD = 75°.  In triangle OBC:  OB = 38 centimetres  OC = 55 centimetres.  Calculate the area of the shaded region, ABCD. | 5 |
|      |   | Calculate the area of the shaded region, ABCD.  | 5 |



| 2022 | 1 | The diagram shows triangle ABC.  |   |
|------|---|--|---|
|      |   | 7 cm<br>5 cm<br>7 cm<br>8  |   |
|      |   | AB = 7 centimetres   |   |
|      |   | <ul> <li>BC = 3 centimetres</li> <li>AC = 5 centimetres</li> </ul>                                     |   |
|      |   | Calculate the value of cosB.   |   |
|      |   | Give your answer in its simplest form.   | 2 |
|      |   |  |   |
| 2022 | 2 | The diagram shows triangle FGH.  |   |
|      |   | <ul> <li>FG = 25 centimetres</li> <li>FH = 32 centimetres</li> <li>Angle GFH = 58°</li> </ul> 25 cm  H |   |
|      |   | Calculate the area of triangle FGH.  | 2 |

